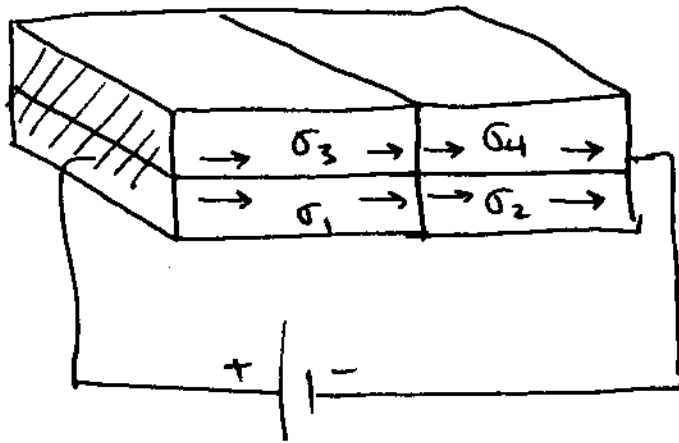


Interface conditions for \underline{J} at boundaries between different conducting media

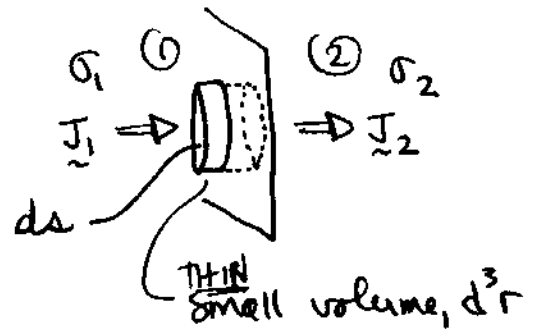
(268)



At interface between (1) & (2):

From charge conservation:

$$\nabla \cdot \underline{J} = -\frac{\partial \rho_v}{\partial t}$$



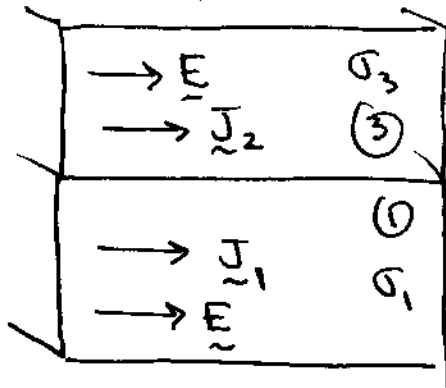
If steady state, then $\nabla \cdot \underline{J} = 0$,

$$\text{and } \iiint_{d^3r} \nabla \cdot \underline{J} = \oiint_{S_{d^3r}} \underline{J} \cdot d\underline{s} \approx (J_{2n} - J_{1n}) \times ds = 0$$

$$\therefore \boxed{J_{1n} = J_{2n}} \text{ if st. st.}$$

(If not steady state, then $\rho_s = \text{fcn}(\text{time})$ at interface)

At interface between (1) & (3),



Recall $E_{1t} = E_{2t}$ (to keep $\nabla \times \underline{E} = 0$)

$$\Rightarrow \boxed{\frac{J_{1t}}{\sigma_1} = \frac{J_{2t}}{\sigma_2}} \quad (\text{for } \underline{J} = \sigma \underline{E})$$

You may (are encouraged) to read Sections 4.7 & 4.9 in the text on your own.